

Blur - Map Estimation and Deblurring of Degraded Image by Non - Convex Regularization Approach

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ABSTRACT

We in this work proposed a new algorithm for blur-map estimation of space variant degraded image using a graduated non convex discontinuity adaptive Markov random field (DAMRF) frame work. First we estimated to find the blur-map and then restore the blurred image in. We use a GNC optimization based framework, wherein we assume the latent image and blur map as DAMRF prior. We show that the estimated blur-map is utilized for image restoration application such as image in-painting, depth estimation, image denoising, super resolution, haze removal etc. Robust estimation of the non-uniform blur-map of a natural scene is obtained produces better qualitative and quantitative results compared to the few state-of-the method

KEYWORDS: Graduated Non Convex 1, Space-variant Blur 2, Markov Random Field 3, Discontinuity Adaptive 4, Non-Convexity 5.

INTRODUCTION

Non-blind image deconvolution is a well-known frequently addressed ill-posed issue in image restoration. Accurate blur-map estimation is required to reduce the commonly occurring ringing artifacts during deblurring of degraded image due to optical image-based systems. In many recent papers, authors proposed different work [1]- [6] to solve such inverse problem.

The addressed inverse image restoration problem solved are classified as Bay's optimization framework, Max-a-posterior, Dictionary learning using sparse code, KSVD algorithms, Foreground and background segmentation using Alpha matings, selection of strong edge, by using blurred and noisy multi-frame, DCNN models.

Inverse blind deblurring by single degraded image has strained more authors during previous last

decades to solve such issues. Image capturing devices such as portable hand-held mobile cameras, image sensor equipment's are generally suffers from defocusing due to camera lens, which result in blurring of natural scene images when capturing. Blurring basically happens due to camera motion or object motion. Blurring is classified by the rotation or translation motion between image capturing device and target scene in lens during camera lens shutter open exposure time

Blur operations are classified as space-variant or pace-invariant. Uniform blur through-out the image is referred as space-in-variant. In case of space-variant blurring each and every pixel could have different amount of blur details. The blur processing operation is modeled as a convolution functions as given by

III. PROBLEM DEFINITION AND PROPOSED

$$y = H \otimes x + \eta \quad (1)$$

Where, y represent blurry input, x is latent image, H is blur kernel and η is the AWGN [11] noise, respectively, and \otimes denotes the convolution symbol. Latent image x and blur kernel H of this equation is generally solved by suitable optimization based frame work.

II. PREVIOUS WORK AND LITERATURE

Authors [7]- [10] proposed a MAP framework using total variation Bayes models to deblur the motion degraded image using inverse transform algorithms for a fast motion deblurring issues. Utilized by [11]-[15] and different L1 or L2 normalization works with convex and non-convex regularization to solve inverse issues.

In [16]-[23] represented a non-statics dynamic approach using variable saliency models for detection of strong edges and minute details at low frequency components of the images

The addition of priors in regularization framework is w.r.t. shape and structure details of the PSF proposed by authors [24]-[30], showed removal of defocusing and motion blurring of partially blurred in a multiform/single image presented a maximal similarity estimation method that reduce the window effect. Our objective in this is to estimate the blur-map initially and then the given blurred image is restored. Microscopic cameras can be used for obtaining the defocused images. We use blurred images and the focused image is estimated using JNB [4] as well as Gauss Markov Random field algorithm. Then, from the focused image, the blur map is estimated and subsequently the depth of the image.

Our main contribution to this work is a robust novel method to detect and estimate blur using just noticeable blur approach. We use this method as a base to retrieve the focused image. Using the alternating minimization optimization framework all-in-focus image is reconstructed. From the blurred observation we can also estimate depth-map, for image in-painting problems. We use gradient descent with discontinuity adaptive Markov random field [12] prior along with graduated non-convexity algorithm to estimate blur-map, thus preserving fine details and solving the optimization problem.

Initially the problem of blur-map estimate is decomposed into three steps. Firstly the rough blur-map is generated by JNB. Secondly using gradient based techniques image is deblurred. Finally by GNC-DAMRF optimization framework in alternating method is implemented to get latent image.

A. Image deblurring model

In this case, blurring is modeled for unknown image x as :

$$y = Hx + \eta \quad (2)$$

The problem of estimation can be formulated as the minimization of the

$$E = \frac{1}{2} \|y - Hx\|_2^2 + \lambda R(d) \quad (3)$$

energy function given by

$$\frac{1}{2} \|y - Hx\|_2^2 = \frac{1}{2} (y^T y - 2y^T Hx + x^T H^T Hx) \quad (4)$$

The gradient descent update is

$$x_{new} = x_{old} - \alpha \frac{\partial E}{\partial x} \quad (5)$$

$$x_{old} = x_{new} \quad (6)$$

where α is the learning rate or the step size. Image deblurring algorithm is as given below

$$E = \frac{1}{2} \|y - Hx\|_2^2 + \lambda R(d)$$

Algorithm 1 Image deblurring

- 1: σ_1 = input sigma map (known)
 - 2: σ_2 = estimated sigma map using JNB
 - 3: x_{old} = initial estimate of focused image
 - 4: x_{new} = deblurred image
 - 5: y = blurred image using σ_1
 - 6: α = learning rate or the step size
 - 7: λ = regularization parameter
 - 8: $i \leftarrow 1$
 - 9: $\alpha \leftarrow 0.5$
 - 10: $\lambda \leftarrow 5e - 8$
 - 11: **while** ($i \leq Iter$) **do**
 - 12: $x_{new} = x_{old} - \alpha \frac{\partial E}{\partial x}$
 - 13: $x_{old} = x_{new}$
 - 14: **end while**
-

B. Discontinuity adaptive prior (DAMRF)

The priors of discontinuity adaptive MRF (DAMRF) is obtained by the following regularization function.

$$R(d) = \gamma - \gamma e^{-d^2/\gamma} \quad (7)$$

$R(d)$ is a convex function in the range $(\sqrt{-\gamma/2}, \sqrt{\gamma/2})$.

$$\text{So, } E = \frac{1}{2} \|y - Xh_{k_p}\|_2^2 + \lambda R(d) \quad (8)$$

$$\sum_{c \in C} V_c(x) = \sum_i \sum_j 4\gamma - \gamma e^{-[x(i,j) - x(i,j-1)]^2/\gamma} - \gamma e^{-[x(i,j) - x(i,j+1)]^2/\gamma} - \gamma e^{-[x(i,j) - x(i-1,j)]^2/\gamma} - \gamma e^{-[x(i,j) - x(i+1,j)]^2/\gamma} \quad (9)$$

In the DAMRF model, the non-convex functions with many local and global minimum function, is solved by a setting parameter Kappa. The design of kappa is initially a very small value. An another parameter gamma and target gamma makes the non-convex function to a convex function, as given by Eq. (09) and Eq. (10). And is written as

$$= \frac{\partial}{\partial x} \left(\sum_i \sum_j 4\gamma - \gamma e^{-[x(i,j) - x(i,j-1)]^2/\gamma} - \gamma e^{-[x(i,j) - x(i,j+1)]^2/\gamma} - \gamma e^{-[x(i,j) - x(i-1,j)]^2/\gamma} - \gamma e^{-[x(i,j) - x(i+1,j)]^2/\gamma} \right) \quad (10)$$

It is known that the blur kernel is a function of σ which in turn is a function of depth d . So, we will use these relations and find the gradients required in each case. Image deblurring algorithm using non-convex prior is given in algorithm 1.

IV. METHODOLOGY / APPROACH

We get the initial course estimate of the blur-map by JNB [4] techniques by reducing feature map 'f' values and is given by relations

$$f = \frac{a}{1 + \exp(b\sigma + c)} + d \quad (11)$$

Where σ is given by

$$\sigma = \frac{\log_e \left(\frac{a}{f-d} - 1 \right) - c}{b} \quad (12)$$

where a , b , c and d are constants with values 39.49, 4.535, -3.538, and 18.53 respectively. Using JNB for ramp blur we get a good blur estimate in the range of (0.4 to 0.95) for both increasing and decreasing ramp as shown in Fig 1 (a) and Fig.4 (b). So, we assume it to be almost focused image (near focus) in this range since the blur is very small. Now, we take two blur images one with increasing and other with decreasing ramp in the range of (0.4 to 1.5). So, one image has less blur on the left side and more blur on the right side and vice versa for the other image. Since, we get good blur estimate in 0.4 to 1.5 range from image and deblur them separately using Algorithm 1, and Algorithm 2 respectively and get de-blurred images. Now, we have the blur map of the observed image which we get from Algorithm 1 and 2 respectively. Finally, we estimate blur using sigma estimate model as shown in Fig 1

V. Estimation of focused image

The formation of space variantly blurred images $y_p(i, j)$ is given by

$$y_p(i, j) = \sum_k \sum_l x(k, l) h_p(i, j; k, l) + \eta \quad (16)$$

Here the $x(k, l)$ is the focused image, η is the AWGN given by [6], $h_p(i, j; k, l)$ is the point spread function (PSF) of the lens used setup modeled as a 2D Gaussian function given by

$$h_p(i, j; k, l) = \frac{1}{2\pi\sigma_p^2(i, j)} \exp\left(-\frac{(i-k)^2 + (j-l)^2}{2\sigma_p^2(i, j)}\right) \quad (17)$$

where the standard deviation of the Gaussian function $\sigma_p(i, j)$ is the space varying blur parameter at (i, j) in the observation [14]. The Gaussian PSF $h_p(i, j)$ spans the rectangle defined by $(i - 3\sigma(i, j), j - 3\sigma(i, j))$ to $(i + 3\sigma(i, j), j + 3\sigma(i, j))$ centered at (i, j) . So, the image blurring can also be modeled as

$$y_p(i, j) = \sum_k \sum_l x(k, l) h_{k_p}(i, j; k, l) + \eta \quad (18)$$

The formation of a space variant blurred image can be modeled as

$$y = Xh_{k_p} + \eta \quad (19)$$

where X is the focused image, h is the blur kernel and η is the additive white zero mean gaussian noise [6]. The results of both equations must be identical. The problem of structure estimation can be formulated as the minimization of the energy function given by

$$e = \frac{1}{2} \|y - Xh_{k_p}\|_2^2 \quad (20)$$

For solving this ill-posed problem, we need to add regularizer or prior term to smooth-en the outliers and to make it well-posed problem.

$$\text{So, } E = \frac{1}{2} \|y - Xh_{k_p}\|_2^2 + \lambda R(d) \quad (21)$$

$R(d)$ is a convex function in the range $(\sqrt{-\gamma/2}, \sqrt{\gamma/2})$.

And is given by

$$R(d) = \gamma - \gamma e^{-\eta^2/\gamma} \quad (22)$$

VI RESULTS

For deblurring, the degraded image is synthetically generated by space-variant blur-map. The point by point convolution operation is used as given in the Eq. 17.

The blur-map estimation obtained by our proposed framework using GNC-DAMRF prior for text image is shown in Fig 3. (a) Fig 3. (b) shows the estimated latent text image. The ground truth image of the text used for deblurring using optimization based technique is given in Fig. 1. The generated image by convolving ramp shaped blur-map is shown in Fig 2.

Fig. 4 (a) shows the space-variant blur-map with sigma varying from 0.4 to 1.5. The images are blurred with space-variant blur using this sine-sigma blur-map. The estimated sine blur-map using our algorithm is shown in Fig 4 (b) respectively.

Fig. 5 (a) and (c) shows space variantly blurred image. (b) and (d) shows deblurred latent image using our proposed non-convex Model.

kernel is very large, even reaching one-third of the size of blurred image, which poses great challenges to both the MAP and marginalization methods. To tackle this problem, we adopt the blur kernel parameter estimation method (angle and length). For angle estimation, our scheme makes use of the relationship between the kernel angle and sparse representation coefficients. For length estimation, we exploit the fact that the behavior of power spectrum is significantly affected by the length of kernel in Fourier domain. The major advantage of our method is that the proposed scheme can handle large motion blur even when the license plate is unrecognizable by human.

Fig 1. Ground truth Image

The synthetically generated space-variant blurred image using ramp-based sigma-map is shown in fig 4. The estimated Space-variant blur-map used to generate blurred image is shown in fig 5.

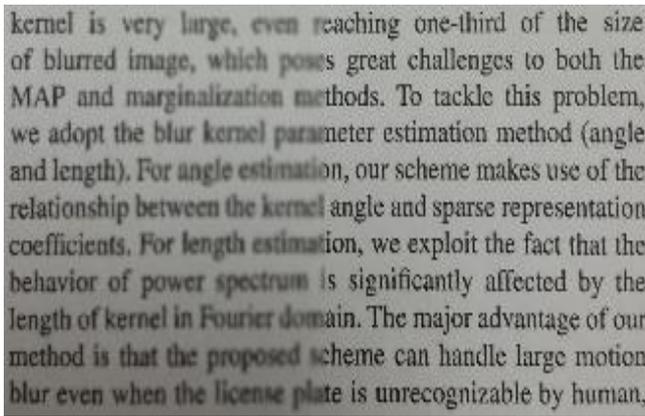


Fig 2. Space-variant blurred mage

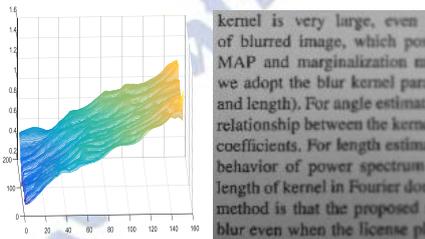


Fig. 3 (a) Estimated blur map of text image (b) Deblurred image

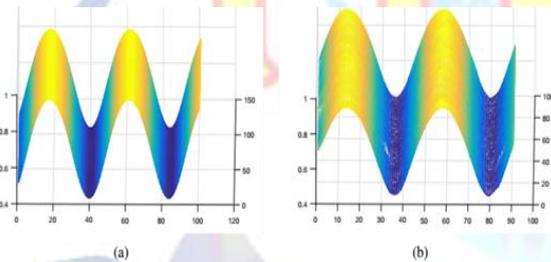
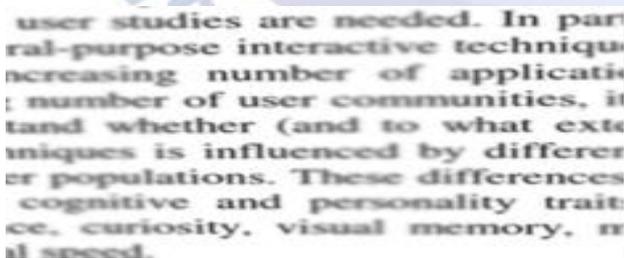
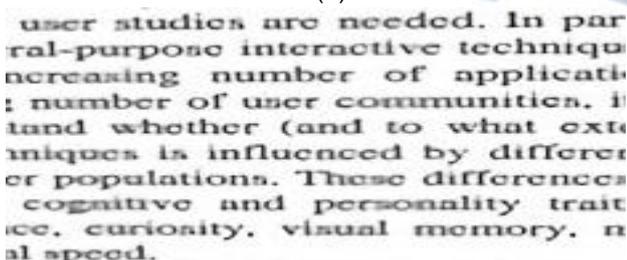


Fig 4: Blur-map with sigma (0.4 to 1.5) (a)Ground truth (b) Estimated blur-ma respectively



(a)



(b) 1

cedure was conducted utilizing system (SASS). This overall test statistic's Lamdas and associated F ratio for the independent variables involved determined that the behavioral variables, are leadership style (F=10.02) and the interaction effect of locus of control (F ratio 2.52; P-value

having determined that there is no significance in this model, univariate tests are then generated for each dependent

(c)

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(d)

Fig. 5 (a) and (c) Space variantly blurred image. (b) and (d)

Deblurred latent image using our proposed non-convex Model

VII. CONCLUSION AND FUTURE WORK

We have proposed a novel work based on sparsity optimization framework capable of estimating blur-map of different shape similar to increasing blur-sigma, decreasing blur-sigma, sine sigma and shifted sine sigma for Brodatz Calf image data and DSLR captured text image. The results obtained both in-terms of quality and quantity is better than the few state-of-the-art work given the literature. Deblurring of images using gradient descent optimization algorithm with Gaussian Image understanding: Semantic Segmentation of Graphics and Text using Faster-RCNN Markov random field prior is proposed. Depth-map estimation of images using JNB sigma-map features generated. Future work is extended for large depth map estimation of real images. Presently the proposed work is a very restrictive model since the blur-map estimation works only for $0 < \sigma \leq 2$.

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