

# Performance Enhancement of Load Frequency Controller in an Islanded Microgrid using Coefficient Diagram Approach

S Abhishek<sup>1</sup> | Dr. Sujatha Balaraman<sup>2</sup>

<sup>1</sup>PG Scholar, Department of EEE, Government College of Technology, Coimbatore, Tamil Nadu, India

<sup>2</sup>Associate Professor, Department of EEE, Government College of Technology, Coimbatore, Tamil Nadu, India

## To Cite this Article

S Abhishek and Dr. Sujatha Balaraman, "Performance Enhancement of Load Frequency Controller in an Islanded Microgrid using Coefficient Diagram Approach", *International Journal for Modern Trends in Science and Technology*, 6(8): 92-99, 2020.

## Article Info

Received on 18-June-2020, Revised on 09-July-2020, Accepted on 27-July-2020, Published on 04-August-2020.

## ABSTRACT

*This paper presents the design of a load frequency controller (LFC) using coefficient diagram method (CDM) in a multi-area power system. The CDM controller has been designed in order to reduce effect of the vagueness as a result of governor and turbine parameters variation and load disturbance. Single-area and two-area power system frequency dynamic paradigms are modelled, as well as the physical constraints of the governors and turbines are considered. MATLAB/Simulink simulations for a single area power system and two area power system are performed to validate the effectiveness of the proposed scheme. From the simulation results it is confirmed that the proposed CDM technique, gives enhanced performance under load disturbances and constraints in the parameters. Performance comparison is made between the proposed CDM controller and an integral controller which affirms the upside of the proposed CDM method.*

**KEYWORDS:** coefficient diagram method, integral control, load frequency control

## I. INTRODUCTION

Microgrids have been introduced due to the current increase in the distributed generations, renewable resources and storage systems. Microgrids can operate either in grid connected or islanded mode. They are more advantageous because of reduction in greenhouse gases, power loss reduction etc. Conventional power sources are replaced by distributed generation sources and renewable sources such as small thermal plants, microturbines, solar etc. [1,2], but as the amount of renewable energy sources increase it raises concern about the stability, reliability of microgrids because of the intermittent nature of

such sources can cause mismatch of generated and load power which could lead to frequency deviations. Load frequency control (LFC) [3,4] becomes a momentous function of power system operation where the foremost objective is to normalize the power output of every generator at desired levels by maintaining the frequency fluctuations within pre-specified limits. Today, control system designers are attempting to apply diverse control calculations so as to locate the best controller boundaries to get ideal arrangements. Fixed boundary controllers, for example, a fundamental controller or a corresponding essential (PI) controller, is likewise broadly utilized in the LFC application [5-7]. Fixed boundary



coefficients of the trademark polynomial proportion of dependability, though the overall tendency of the bend gives the proportion of the speed of reaction. The state of the curve is because of plant's boundary variety gives a measure of robustness. The block diagram of single input single output (SISO) linear time invariant system with CDM control [10-12] is shown in Fig.2, where  $N(s)$  is numerator polynomial.  $D(s)$  is denominator polynomial.  $R(s)$  is forward denominator polynomial.  $F(s)$  and  $T(s)$  are reference numerator and feedback numerator polynomials.

In this technique,  $r$  is taken as the reference input to the system,  $u$  as the controller signal,  $d$  as the outside disturbance signal and  $y$  is denoted as the output of the control system [9].

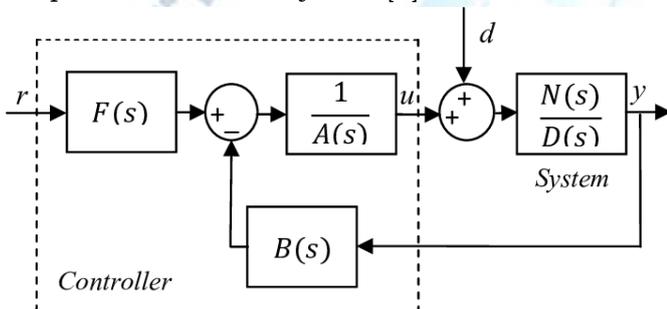


Fig 2: Block Diagram of CDM Control System.

The linear time-invariant SISO plant transfer function is expressed as:

$$H(s) = \frac{a_m s^m + a_{m-1} s^{m-1} + \dots + a_1 s + a_0}{b_n s^n + b_{n-1} s^{n-1} + \dots + b_1 s + b_0} \quad (5)$$

In this technique,  $d$  is taken as the peripheral disturbance signal;  $r$  is taken as the reference input;  $u$  is the controller signal; and  $y$  is the output of the CDM control system which given by:

$$y(s) = \frac{N(s)F(s)}{P(s)} r + \frac{A(s)N(s)}{P(s)} d \quad (6)$$

Where  $P(s)$  can be defined as:

$$P(s) = \frac{N(s)F(s)}{y} r + \frac{A(s)N(s)}{y} d \quad (7)$$

$$= R(s)D(s) + T(s)N(s) \quad (8)$$

Where  $R(s)$  and  $T(s)$  are taken as the control polynomial and is defined as:

$$R(s) = \sum_{i=0}^p l_i s^i \quad (9)$$

$$T(s) = \sum_{i=0}^q k_i s^i \quad (10)$$

Since  $l_i$  and  $k_i$  are CDM controller parameters. The closed loop actuating signal  $u$  is:

$$u = \frac{D(s)F(s)}{P(s)} r + \frac{A(s)D(s)}{P(s)} d \quad (11)$$

To attain the characteristic polynomial  $P(s)$ , the controller polynomials from Eq. (9) and (10) are substituted in Eq. (8) and is given as:

$$P(s) = \sum_{i=0}^p l_i s^i D(s) + \sum_{i=0}^q k_i s^i N(s) \quad (12)$$

CDM controller designing requires some specific parameters in regard to the characteristic polynomial coefficients such as the equivalent time constant ( $\tau$ ), the stability indices ( $\gamma_i$ ), and the stability limits ( $\gamma_i^*$ ) [9,11]. The relations between these parameters and the coefficients of the characteristic polynomial ( $a_i$ ) are described as follows:

$$\gamma_i = \frac{a_i^2}{a_{i+1} a_{i-1}}, \quad i \in [1, n-1] \quad (13)$$

The relationship between the equivalent time constant ( $\tau$ ), and the actuating signal is that the time response reduces and the scale of the actuating signal becomes smaller for larger values of  $\tau$ . Therefore, selection of suitable time equivalent constant ( $\tau$ ) is one amongst the vital steps within the design procedure. Equivalent time constant ( $\tau$ ) and stability indices ( $\gamma_i$ ) are chosen as:

$$\tau = \frac{\tau_s}{2.5 \approx 3} \quad (14)$$

Where  $\tau_s$  is the user specified settling time.

The target characteristic polynomial can be obtained by rewriting the characteristic polynomial in equation (8) as per the relation between key parameters ( $\tau$ ,  $\gamma_i$ ) and  $a_0$ :

$$P_{\text{target}} = a_0 \left[ \left\{ \sum_{i=2}^n \left( \prod_{j=1}^{i-1} \frac{1}{\gamma_{i-j}} \right) (\tau s)^i \right\} + \tau s + 1 \right] \quad (15)$$

Where,

$$P(s) = P_{\text{target}}(s)$$

$$\gamma_i = [2.5, 2, 2 \dots]$$

Where  $\gamma_i$  are the stability indices.

Also, the reference numerator polynomial  $F(s)$  can be calculated from:

$$F(s) = \frac{P(s)}{N(s)} \quad (16)$$

#### IV. SYSTEM CONFIGURATION

The block diagram of a frequency response paradigm of a single area power system with the proposed CDM controller [9] is shown in Fig. 3. The system comprises of the rotating mass and load, turbine, and governor [13]. The frequency deviation is employed as feedback for the closed loop-control system. The measured and reference frequency deviation  $\Delta f$  and the reference frequency ( $\Delta f=0\text{Hz}$ ) are fed to the CDM in order to obtain the supplementary control action  $\Delta P_c$ , which add to the negative frequency feedback signal. The resulting signal  $\Delta P_c$  is fed the governor giving the governor valve position which supplies the turbine to give the mechanical power change  $\Delta P_m$ , which is affected by the load change  $\Delta P_l$ , giving the input to the rotating mass and load block in order to provide actual frequency deviation  $\Delta f$  [14,15].

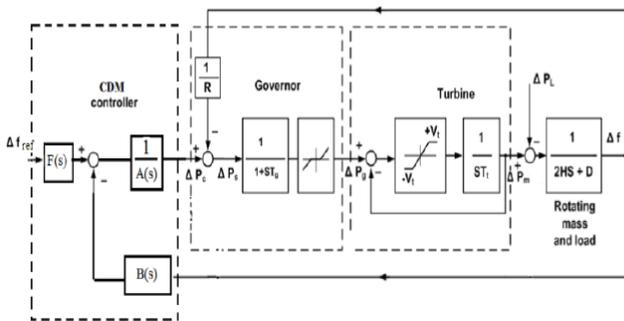


Figure 3: Block Diagram of Single Area Power System with CDM Controller

Two area interconnected power system [8,11] having the following parameters as listed in table 2.

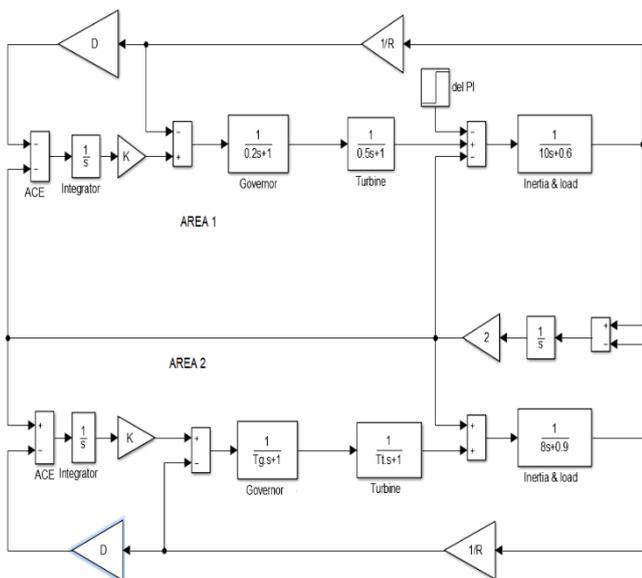


Figure 4: Block Diagram of Two Area Power System with Integral Controller

#### V. SIMULATION RESULTS

Computer simulations have been carried out in order to corroborate the effectiveness of the projected system. The MATLAB/Simulink software has been used for this purpose.

The parameters chosen for a single area power system as listed in table 1.

Table 1. Parameters of single area power system

D(p.uHz)	H (p.u.sec)	R (Hz/p.u.)	T <sub>g</sub> (sec)	T <sub>t</sub> (sec)
0.015	0.08335	3	0.08	0.4

CDM controller parameters are set as follows:

The objective of the controller is to achieve the desired performance within the bound of the disturbance. According to the values of microgrid parameters in table 1. The closed loop transfer function of the plant model of single area system [13] can be defined as follows:

$$N(s) = 0.032s^3 + 0.48s^2 + s$$

$$D(s) = 5.33e^{-3}s^4 + 0.08s^3 + 0.174s^2 + 0.348s - 0.3$$

the CDM controller polynomials are chosen in the form of equation (9) and (10) respectively, the stability indices are taken as per Manabe's standard [9] form

P target is formed as per equation (12)

$$P_{\text{target}} = 0.0128s^5 + 0.128s^4 + 0.64s^3 + 1.6s^2 + 2s + 1$$

A(s) and B(s) is obtained after substituting N(s) and D(s) in equation (12) and compared with P target to obtain the corresponding coefficients of A(s) and B(s);

$$R_i = 2.4s^4 + 2.77s + 0.008$$

$$T_i = s^2 + 1.036s + 1$$

An islanded microgrid (single area system) is considered whose block diagram is shown in Figure 1, and is tested using CDM and conventional controller.

CASE 1:

In this case, the performance analysis of the single area power system is done with CDM controller and integral controller  $K_i=-0.3$  with step load changes  $\Delta P_l$  as shown in Figure 5. Figure 6

shows the simulation results of the proposed CDM controller and integral controller.

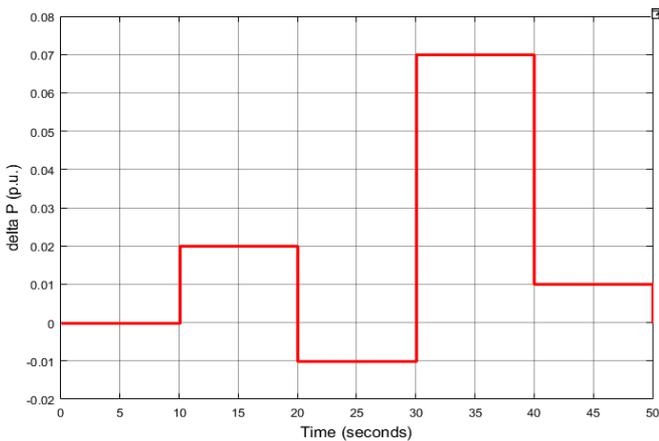


Figure 5: Random Load Demand

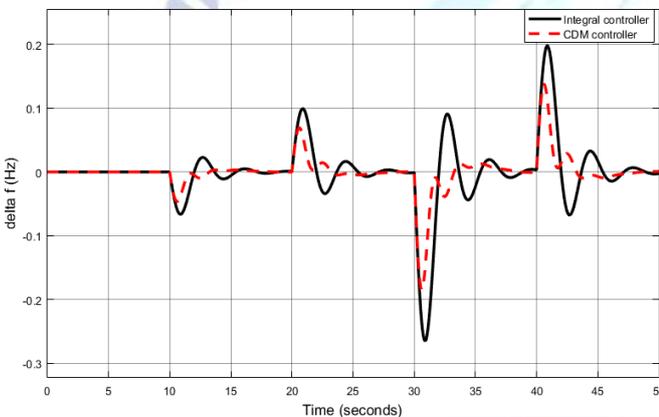


Figure 6: Frequency Deviation with Integral and CDM Controller

Table 2 compares the performance of the system using integral and CDM controller when a load disturbance of 0.02p.u. is given at t=10 seconds. It has been observed that the CDM controller gives fast and stable response when compared with integral controller.

Table2. Parameter comparison of single area system with CDM and integral controller

Parameters	Integral control	CDM
Rise time (sec)	0.897	0.683
Settling time(sec)	7.82	6.45
Peak time(sec)	0.876	0.577
Peak value (p.u. Hz)	-0.275	-0.19

CASE 2:

The simulation of single area power system is carried out with constraints on governor and turbine with generation rate constraint (GRC) of 10%p.u. per minute. The maximum value of dead band for governor is taken as 0.05%. A step load

change of  $\Delta P_1=0.02$  at t=20 seconds as shown in Figure 7 is applied to the simulation model. Figure 8 shows the simulation results of the proposed CDM controller and integral controller. The frequency deviations reach zero steady state value faster in CDM controlled system when compared with integral controlled system.

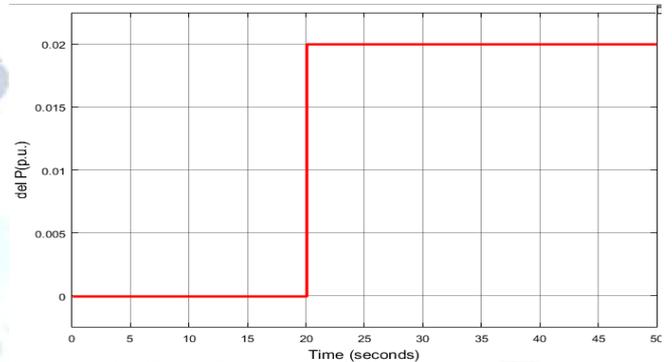


Figure 7: Load Change of 0.02p.u.

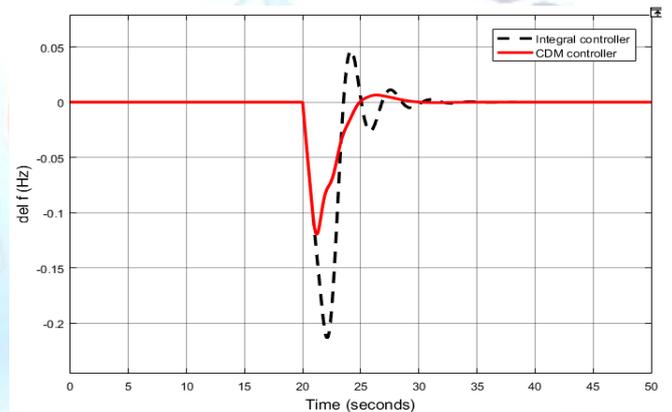


Figure 8: Frequency Deviation for Load Change of 0.02p.u.

Table3. Parameter comparison of single area system with CDM and integral controller

Parameters	Integral control	CDM
Rise time (sec)	0.897	0.683
Settling time(sec)	7.82	6.45
Peak time(sec)	0.876	0.577
Peak value (p.u. Hz)	-0.21	-0.12

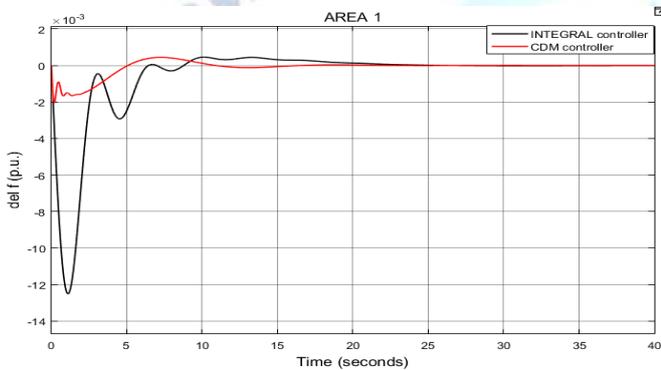
As observed from case 1 and case 2, where a single area system i.e., an islanded microgrid was subjected to load changes and the main objective of reducing the frequency deviations were achieved by using CDM controller. In order to validate the performance of CDM controller, an interconnected (two-area) system is considered for the following cases.

CASE-3: In this scenario a two-area power system [6-8] is considered with the parameters as given in table 4. In the two-area system CDM controller is designed similar to the single area system and compared the same system with integral controller.

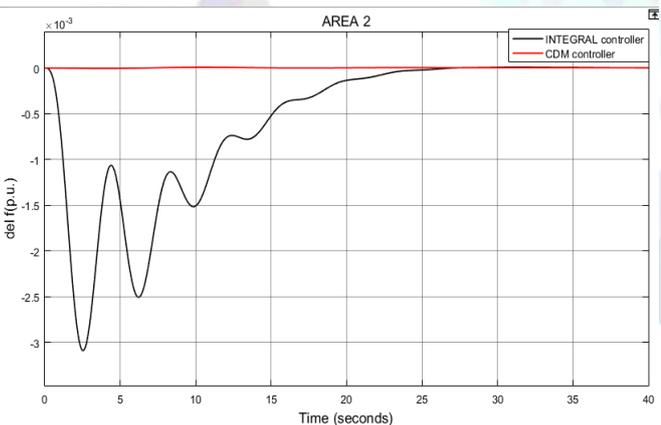
Here, a load disturbance of  $\Delta P_1 = 0.1875 \text{ p.u.}$  is given in the area 1 alone at  $t = 0$  second of the simulation run time.

**Table4. Parameters of Two Area Power System**

Area	D (p.u Hz)	H (p.u.sec)	R (Hz/p.u.)	$T_g$ (sec)	$T_t$ (sec)
1	0.6	5	0.05	0.2	0.5
2	0.9	4	0.0625	0.3	0.6



**Figure 9: Frequency Deviation of Area 1 System with Integral and CDM Controller**



**Figure 10: Frequency Deviation of Area 2 System with Integral and CDM Controller**

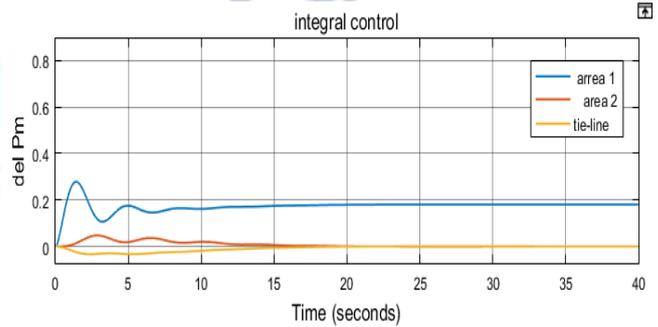
Figure 9 and Figure 10 shows that the system response with CDM controller is faster than the integral controller. The steady state is achieved earlier by CDM than by integral controller.

Table 5 gives the comparison of performance indices of both the controllers.

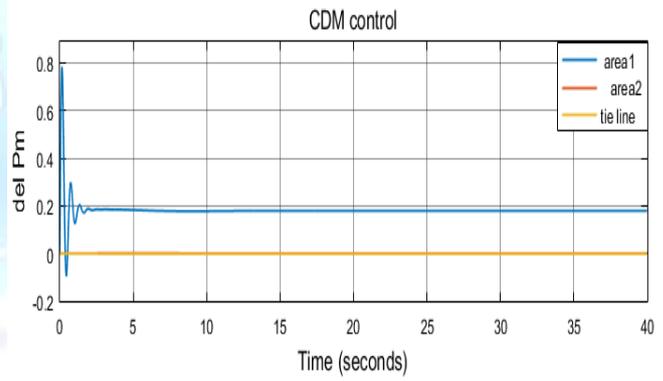
**Table5. Comparison of performance of both the controllers.**

Parameters	Integral control	CDM
Rise time (sec)	1.066	0.058
Peak time(sec)	1.066	0.066
Peak value (p.u.Hz)	-0.01299	-0.002
Settling time(sec)	20	15

It can be seen from the above comparison that CDM controller gives best performance when compared with integral controller.



**Figure 11: Change in Mechanical Power of Area 1, Area2 and Tie Line Power with Integral Controller**



**Figure 12: Change in Mechanical Power of Area1, Area2 and Tie Line Power with CDM Controller**

Fig 11 and 12 shows the increase in mechanical power of area 1, area 2 and tie-line power

A load change of 0.1875 p.u. was applied at the beginning ( $t=0 \text{ sec}$ ) of the simulation. It can be observed that CDM controller helps to achieve the steady state earlier when compared with integral controller.

In Figure 11 it is observed that a load change of 0.1875 p.u. is met by change in mechanical power, since area 1 is not able to achieve the increase in load demand, there is a power exchange from area 2 to 1. Figure 12 shows the change in power for the same change in power demand steady state value is achieved quickly.

CASE 4:

In this case, the same 2 area system is considered with a load change of 0.1 p.u. in the area 2 of the system with integral and CDM controller.

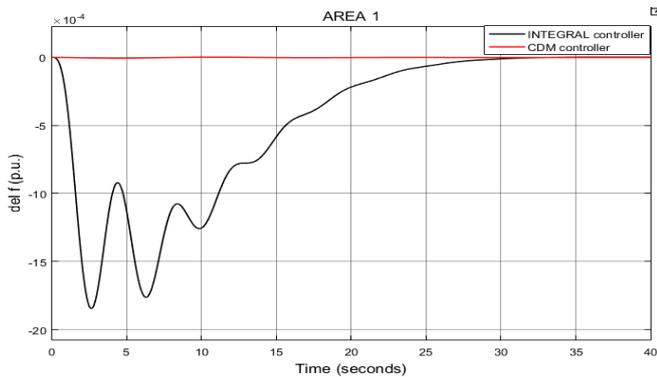


Figure 13: Frequency Deviation in Area 1 System with Integral and CDM Controller

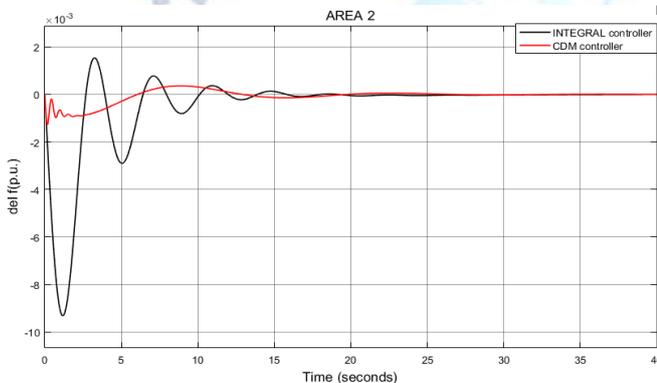


Figure 14: Frequency Deviation in Area 1 with Integral and CDM Controller

Figure 13 and 14 shows the change in frequency deviation when a load disturbance of 0.1p.u. is applied to the area 2 of the 2-area system. It is observed that by using CDM controller, zero frequency deviation is achieved quickly and also the frequency deviation happens only in area 2 where the load disturbance is introduced. However, change in load causes frequency deviation in both the areas with integral.

Table 6 compares the performance of integral and CDM controller.

**Table6. Comparison of Performance of Both the Controllers.**

Parameters	Integral control	CDM
Rise time (sec)	1.066	0.058
Peak time(sec)	1.066	0.066
Peak value (Hz p.u.)	-0.008	-0.0016
Settling time(sec)	20	17

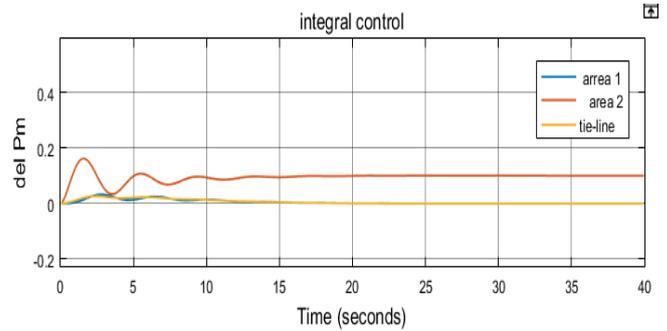


Figure 15: Change in Mechanical Power of Area1, Area2 and Tie Line Power with Integral Controller

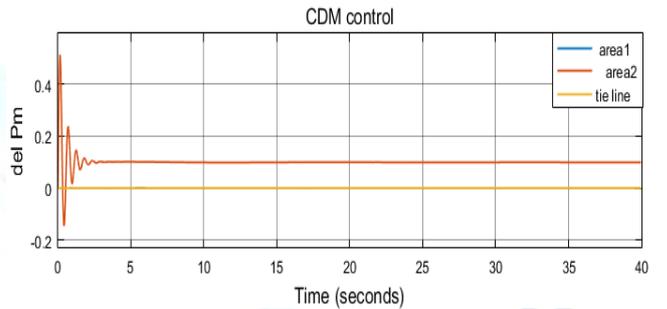


Figure 16: Change in Mechanical Power of Area1, Area2 and Tie Line Power with CDM Controller

It is observed from Figure 15 that change in power demand of 0.1 p.u. in area 1 is met by change in mechanical power in area 2, since it is not able to achieve the increase in load demand there is flow of power from area 2 to area1. Figure 16 shows the change in power for the same change in power demand and it can be seen that steady state value is achieved quickly when compared to integral controller.

**VI.CONCLUSION**

In this paper a load frequency controller using the Coefficient Diagram Method has been developed for single-area and two-area power systems. Simulations using MATLAB/Simulink.To validate the effectiveness of the proposed CDM controller, the power system has been tested for different load changes and parameter constraints and the performance is compared with conventional integral controller. From the simulation results it is found that the CDM controller out performs than its counterpart.

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